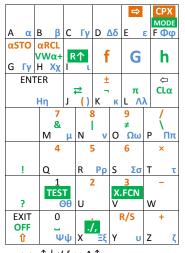
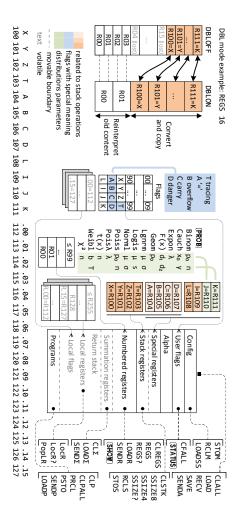
WP 34S pocket reference

Firmware V3.2



```
    → ← ↑ ↓ √ ∫ ∞ ^ ↑
    CPX accented characters
    R↑ 0°12<sup>23</sup> ABc<sup>c</sup> dekmnpquwx<sup>X</sup>γμ<sup>-1*</sup> ∞
    TEST < ≤ = ≈ ≥ > [] {}
    ./, ,:;'"* @ ~% $ € £ ¥ ⊙ ⊕ ≜ `#
```

Andrew Nikitin 2014-04-14



This document briefly describes commands of WP 34s programmable calculator with firmware version 3.2. Please refer to WP 34S Owner's Manual for the definitive guide.

Command catalogs

MATRIX			
DET	M+×	M-ROW	M.REG
LINEQS	M ⁻¹	M×	nCOL
MROW+×	M-ALL	M.COPY	nROW
$MROW \times$	M-COL	M.IJ	TRANSP
MROW⇄	M-DIAG	M.LU	
MODE			
12h	D.MY	PowerF	SETTIM
1COMPL	E30FF	RCLM	SETUK
24h	E30N	RDX,	SETUSA
2COMPL	ExpF	RDX.	SIGNMT
BASE	FAST	REGS	SLOW
BestF	FRACT	RM	SSIZE4
DBLOFF	JG1582	SEPOFF	SSIZE8
DBLON	JG1752	SEPON	STOM
DENANY	LinF	SETCHN	UNSIGN
DENFAC	LogF	SETDAT	WSIZE
DENFIX	LZOFF	SETEUR	Y.MD
DENMAX	LZON	SETIND	■DLAY
DISP	M.DY	SETJPN	■MODE
PROB			
Binom	Expon	Geom	Norml
$Binom_P$			
${\tt Binom}_{\tt u}$	$F_P(x)$	Lgnrm	Poiss
Binom ⁻¹	$F_u(x)$		
Cauch	F(x)	Logis	Poisλ
	F ⁻¹ (p)		

t _P (x) t _U (x) t(x) P.FCN BACK BASE? CASE CFALL CLALL CLPALL CLREGS CLSTK CLα CNST DEC DROP DSL DSZ END ERR FF FLASH? f'(x) f''(x) gCLR gDIM	t-1(p) Weib1 gFLP gPLOT gSET GTOα INC ISE ISZ LOADP LOADR LOADSS LOADS LOCR LOCR? MEM? MSG NOP POPLR PROMPT PSTO PUTK RCLS PECV	Φu(x) φ(x) X² REGS? RESET RM? RTN+1 R-CLR R-COPY R-SORT R-SWAP SAVE SENDA SENDP SENDR SENDE SENDE SENDE SENDE SENDE SENDE VIEWα VIEWα VIEWα VIER VIEVΩ	χ^2 INV χ^2 P χ^2 u χ^2 P χ^2 u χ^2 Q χ
gDIM?	RECV	XEQα	
COV L.R. SEED SERR SERR _W	SUM Sw Sxy Xg Xw	χ̂ ε ε _m ε _P σ	σ _w %Σ

SUMS			
nΣ	Σlnxy	Σx²y	Σy²
Σln²x	Σlny	Σxlny	Σylnx
Σln²y	Σχ	Σχγ	
Σlnx	Σx²	Σy	
TEST			
BC?	FP?	LEAP?	x<;
BS?	FS?	M.SQR?	x=+0;
CNVG?	FS?C	NaN?	x = -0
DBL?	FS?F	ODD?	X≈;
ENTRY?	FS?S	PRIME?	x>;
EVEN?	gPIX?	REALM?	x>;
FC?	INTM?	SPEC?	∞;
FC?C	INT?	TOP?	≞?
FC?F	KEY?	XTAL?	
FC?S	LBL?	x </td <td></td>	
X.FCN			
³√x	DECOMP	H _n	LNβ
AGM	DEG→	H_{np}	MANT
ANGLE	dRCL	H.MS+	MASKL
ASR	DROP	H.MS-	MASKR
B _n	D→J	IDIV	MAX
B* _n	erf	iRCL	MIN
BATT	erfc	Ιβ	MIRROR
СВ	EXPT	Iβ IΓ _p	MIRROR MOD
CB CEIL	EXPT e ^x -1	Ιβ ΙΓ _ρ ΙΓ _q	MIRROR MOD MONTH
CB CEIL DATE	EXPT e ^x -1 FB	Iβ IΓ _p IΓ _q J→D	MIRROR MOD MONTH NAND
CB CEIL DATE DATE→	EXPT e ^x -1 FB FIB	Iβ IΓ _p IΓ _q J→D LCM	MIRROR MOD MONTH NAND nBITS
CB CEIL DATE DATE→ DAY	EXPT e ^x -1 FB	Iβ IΓ _p IΓ _q J→D LCM LJ	MIRROR MOD MONTH NAND nBITS NEIGHB
CB CEIL DATE DATE→ DAY DAYS+	EXPT e ^x -1 FB FIB FLOOR	Iβ IΓ _p IΓ _q J→D LCM LJ	MIRROR MOD MONTH NAND nBITS NEIGHB NEXTP
CB CEIL DATE DATE→ DAY DAYS+ DBL×	EXPT e ^x -1 FB FIB FLOOR g _d g _d ⁻¹	Iβ IΓ _p IΓ _q J→D LCM LJ L _n	MIRROR MOD MONTH NAND nBITS NEIGHB NEXTP NOR
CB CEIL DATE DATE→ DAY DAY DAYS+ DBL× DBL/	EXPT e ^x -1 FB FIB FLOOR g _d g _d ⁻¹ GCD	$Iβ$ $IΓ_p$ $IΓ_q$ $J→D$ LCM LJ L_n $LN1+x$ $L_nα$	MIRROR MOD MONTH NAND nBITS NEIGHB NEXTP NOR Pn
CB CEIL DATE DATE→ DAY DAYS+ DBL×	EXPT e ^x -1 FB FIB FLOOR g _d g _d ⁻¹	Iβ IΓ _p IΓ _q J→D LCM LJ L _n	MIRROR MOD MONTH NAND nBITS NEIGHB NEXTP NOR

WP 34S commands

The entry header contains the following information:

- 1) name of the command
- 2) effect on the stack
- 3) clues on how to enter the command

10^x

 $x \rightarrow r$

CPX f

Common antilogarithm, See also LOG₁₀

12h

MODE

12h time display mode. This will make a difference in $\alpha TIME$ only.

1COMPL

MODE

Set 1's complement mode for integers.

1/x

 $x \rightarrow r$

CPX f CPX B

Inverse of a number.

24h

MODE

24h time display mode. Compare 12h.

2COMPL

MODE

Set 2's complement mode for integers.

2×

 $x \rightarrow r$

CPX f

See also LOG₂

³√x

 $x \rightarrow r$

CPX X.FCN

Cubic root.

ΔRS

 $x \rightarrow r$

CPX f

Absolute value.

Principal value of arccos(x).

ACOSH

$$x \rightarrow r$$

$$\operatorname{csch}^{-1} x = \ln(x + \sqrt{x^2 - 1})$$

AGM

$$y x \rightarrow r$$

CPX X.FCN

Arithmetic-geometric mean.

Starts with $a_0=a$, $b_0=b$ and iterates

$$a_{n+1} = \frac{1}{2}(a_n + b_n); \ b_{n+1} = \sqrt{a_n b_n}$$

AGM can be expressed in terms of complete elliptic integral of first kind K(k)

$$\operatorname{agm}(a,b) = \frac{(a+b)\pi}{4K\left(\frac{a-b}{a+b}\right)}$$

ALL n



 \mathbf{h}

Numeric display format that shows all decimals whenever possible.

 $x \ge 10^{13}$ is displayed in SCI or ENG with the maximum number of digits necessary (see SCIOVR and ENGOVR). The same happens if x<10-n and more than 12 digits are required to show x completely.

ΔND

(h

INT: bitwise AND.

DECM: logical AND; x and y meaning is 'false', when zero and 'true' when any other real number.

ANGLE

 $v x \rightarrow \theta$

X.FCN

arctan(y/x) corrected for quadrant and singularities.

ASIN

 $x \rightarrow \theta$

CPX g

Principal value of arcsin(x)

ASTNH

CPX g HYP-1

 $\sinh^{-1} x = \ln\left(x + \sqrt{x^2 + 1}\right)$

ASR n

X.FCN $m \rightarrow r$

Right shift with sign propagation, n≤63. Corresponds to a division by 2.

ΔΤΔΝ

 $x \rightarrow \theta$

CPX g

Principal value of arctan(x).

ΔΤΔΝΗ

 $x \rightarrow r$ CPX $g(HYP^{-1})$

 $\tanh^{-1} x = \frac{1}{2} \ln \left(\frac{1+x}{1-x} \right)$

BACK n

P.FCN

Jump n steps backwards ($0 \le n \le 255$).

BACK 1 goes to the previous program step. If BACK attempts to cross an END, an error is thrown. Reaching step 000 stops program execution. Compare SKIP.

BASE n

MODE

BASE 10

f 10

BASE 16

g 16

BASE 2

f 2

BASE 8

a8

Set integer mode with base 2≤n≤16. Popular bases are directly accessible on the keyboard. BASE Ø sets DECM, BASE 1 calls FRACT. See there.

ATTENTION: this command converts stack contents with possible truncation or loss of precision. Other registers stay as they are. BASE 10 is not DECM.

BASE? $-\rightarrow r$ P.FCN

INT: current integer base

DECM: integer base set before DECM

BATT \rightarrow volts X.FCN DECM: Battery voltage in the range 1.9...3.4V.

INT: Battery voltage in units of 100mV.

BC? n $m \rightarrow m$ TEST

Test if n-th bit in X is 0.

BestF $- \rightarrow -$ MODE

Select the best curve fit model, maximizing the correlation..

Binom $x \rightarrow p$ PROB Binom_P $x \rightarrow r$ Binom_u $x \rightarrow p$

Binom_u $x \rightarrow p$ Binom⁻¹ $p \rightarrow x$

Binomial distribution, the probability of a success p_0 in J and the sample size n in K.

 $B_n n \rightarrow r \overline{X.FCN}$

 B_{n*}

 B_n returns the Bernoulli number for an integer n>0 given in X. B_{n^*} works with the old definition instead.

$$B_n = (-1)^{n+1} n \cdot \zeta(1-n)$$

$$B_n^* = \frac{2 \cdot (2n)!}{(2\pi)^{2n}} \zeta(2n)$$

BS? n

 $m \rightarrow m$

TEST

Test if n-th bit in X is set.



- → -

P.FCN

Like SKIP, but takes the number of steps to skip from s.

CAT

- → -

(**h**)

Alpha labels browser.

①, ①, or ② – quick jump to RAM, LIB or BIJP

▲, ▼ – browse alpha labels

f ▲, **f** ▼ – browse programs (separated by END statements)

ENTER - go to alpha label with search

XEQ – execute alpha label with search; programming mode: insert XEQ'lbl'

GTO - programming mode: insert GTO '1b1'

R/S – execute alpha label without search **RCL**, **STO** – PRCL, PSTO

fCLP – delete program in RAM or LIB

Cauch $x \rightarrow p$

PROB

Cauch_P Cauch_u

 $x \rightarrow r$ $x \rightarrow p$

Cauch⁻¹ $p \rightarrow x$

Cauchy-Lorentz distribution (also known as Lorentz or Breit-Wigner distribution) with the location x_0 in J, the shape γ in K.

CB n

m → r

(X.FCN)

Clear n-th bit in X.

CEIL

 $x \rightarrow r$

(X.FCN)

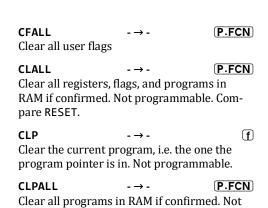
Smallest integer ≥x

CF n

- → -

g

Clear flag n.



programmable. $- \rightarrow -$ P.FCN

Clear all global and local general purpose registers (see REGS and LOCR), keep the contents of the stack, L, and I.

CLSTK ... → ... (P.FCN)

Clear all stack registers currently allocated (i.e. X through T or X through D, respectively), keep all other registers.

CLx $x \rightarrow 0$ h

Clear register X, disable stack lift.

CL α - \rightarrow -

Input: hCLx

Clear the alpha register.

CLS $- \rightarrow -$ **g** Release the memory allocated for the summation registers.

CNST n -→r P.FCN

 c CNST n - → 0 r \overline{CPX} h $\overline{X.FCN}$

Indirect addressing of the content at position n in CONST catalog.

CNVG? n $-\rightarrow -$ TEST

Check for convergence by comparing x and y as determined by the lowest five bits of n=a+4b+16c

- a lowest two bits, tolerance limit:
- $0 = 10^{-14}$
- $1 = 10^{-24}$.
- $2 = 10^{-32}$.
- 3 = choose the best for the mode set: 0 for single precision and 2 for double precision.
- b the next two bits, determines the comparison mode using the tolerance limit set:
- 0 = compare the real numbers x and y relatively,
- 1 = compare them absolutely,
- 2 = check the absolute difference between the complex values $x+i\cdot y$ and $z+i\cdot t$,
- 3 = works as 0 so far.
- c the top bit, tells how special numbers are handled:
- 0 = NaN and infinities are considered converged,
- 1 = they are not considered converged.

COMB y x \rightarrow **r (PX) f** The number of possible sets of y items taken x at a time. $C_{y,x} = \frac{y!}{x!(y-x)!}$. Compare PERM.

CONJ

$y x \rightarrow -y x$

CPX) (X.FCN)

Flip the sign of y, the complex conjugate of x_c .

CONST

- → r



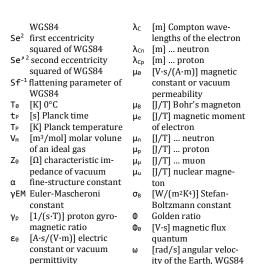
Catalog of physical and mathematical constants.

- 1/2 = 0.5
 - a [d] Gregorian vear
- a₀ [m] Bohr radius
- a_m [m] semi-major axis of the Moon's orbit
- a⊕ [m] semi-major axis of the Earth's orbit=1 AU
- c [m/s] speed of light in vacuum
- c₁ [m²W] first radiation constant
- c₂ [m·K] second radiation
- e [C] electron charge
- eE Euler's e
- F [C/mol] Faraday's constant
- Fα Feigenbaum α
- Fδ ... and δ
- g [m/s²] standard earth acceleration due to gravity
- G [m³/(kg·s²)] Newton's gravitation constant
- G_0 [1/ Ω] conductance quantum
- G_C Catalan's constant
- ge Landé's electron g-factor
- GM [m³/s²] gravitation constant times earth mass, WGS84
- h [J·s] Planck constant
- ħ [J⋅s] h/2π

- k [J/K] Boltzmann constant
- K₃ [Hz/V] Josephson constant
- 1_P [m] Planck length
- m_e [kg] electron mass M_m [kg] mass of the Moon
- m_n [kg] neutron mass m_p [kg] proton mass
- m_p [kg] proton mass M_P [kg] Planck mass
- m_u [kg] atomic mass unit
- $m_u c^2$ [J] energy equivalent of
- atomic mass unit m_u [kg] muon mass
- M_☉ [kg] mass of the Sun
- M⊕ [kg] mass of the Earth
 - [1/mol] Avogadro

N_A NaN

- p₀ [Pa] standard atmospheric pressure
- q_P [A·s] Planck charge
- R [J/(mol·K)] molar gas constant
- r_e [m] classical electron
- radius Rκ [Ω] von Klitzing const.
- R_∞ [1/m] Rydberg const.
- R_m [m] mean radius of the
- Moon R_{\odot} [m] ... of the Sun
- R_{\oplus} [m] ... of the Earth
- Sa [m] semi major axis of
 - WGS84
- Sb [m] semi minor axis of



CONV

 $x \rightarrow r$

-∞, ∞, #

(h)

Catalog of unit conversions.

CORR

-> r

_

Correlation coefficient for the current statistical data and curve fitting model. For linear model

$$r = \frac{s_{XY}}{s_X s_V}$$

For arbitrary model R(x), the value

$$r^{2} = 1 - \frac{\sum [R(x_{i}) - y_{i}]^{2}}{\sum (\bar{y} - y_{i})^{2}}$$

is coefficient of determination. r^2 =0.93 means that 93% of total variation of y is due to x.

 $\theta \rightarrow r$

CPX f

Cosine

COSH

CPX HYP

Hyperbolic cosine, $\cosh x = \frac{e^x + e^{-x}}{2}$

COV

- → r

STAT

Population covariance of two data sets. It depends on the fit model. See s_{xy} for the sample covariance. For linear model

$$COV_{XY} = \frac{n\sum x_i y_i - \sum x_i \sum y_i}{n^2}$$

cCROSS

 $tzyx \rightarrow 0r$ CPX X.FCN

Interpret x and y as Cartesian components of a first vector, and z and t as those of a second one, and return X=r=x·t-y·z, Y=0, dropping two stack levels.

DATE

- → dc

X.FCN

Date from the real time clock. Actual presentation depends on date format. See D.MY, M.DY, and Y.MD. DATE shows the day of week in the dot matrix.

 $DATE \rightarrow$

 $dc \rightarrow v m d$

X.FCN

Parse the date according to current date format and calculate Z=year, Y=month, X=day.

DAY

 $dc \rightarrow r$

X.FCN

Extract the day number from the date code.

DAYS+

 $dc x \rightarrow dc1$

X.FCN

Add x days to a date in Y, display the resulting date including the day of week in the same

format as WDAY does.

DBLOFF

MODE

DBLON

Toggle double precision mode. Setting becomes effective in DECM only and is indicated by D in the dot matrix.

DBI ?

TEST

Test if double precision mode is turned on.

DBLR

lo hi m \rightarrow r

X.FCN

DBL/

lo hi m \rightarrow r

X.FCN

DBL×

 $y x \rightarrow lo hi$

X.FCN

Double word length commands for integer remainder, multiplication and division. DBLR and DBL/ accept a double size dividend in Y and Z (most significant bits in Y), the divisor in X as usual, and return the result in X. DBL× takes x and y as factors as usual but returns their product in X and Y (most significant bits in X)..

DEC s

P.FCN

Decrement s by 1.

DFCM

(f)(H.d)

Set decimal floating point mode.

DECOMP

 $x \rightarrow num den$

X.FCN Decompose x (after converting it into an improper fraction, if applicable), into numerator (in Y) and denominator (in X). Reversible by division.

DEG - → - g

Set angular mode to degrees.

 $DEG \rightarrow x \rightarrow \theta \qquad \overline{X.FCN}$

Convert x degrees to current angular units.

DENANY - → - MODE

Set fraction display subformat, which allows any denominator up to the value set by DENMAX may appear.

Example: If DENMAX=5 then DENANY allows denominators 1, 2, 3, 4, and 5.

DENFAC - → - (MODE)

Set fraction display subformat, which allows integer factors of the DENMAX as denominators.

Example: If DENMAX=60 then DENFAC will allow denominators 1, 2, 3, 4, 5, 6, 10, 12, 15, 20, 30, and 60.

DENFIX - → - MODE

Set fraction display subformat where the only denominator allowed is DENMAX.

DENMAX $x \rightarrow x$ MODE

1 → **r** Set the maximum allowed denominator in

Set the maximum allowed denominator in fraction display mode. Valid $2 \le x \le 9999$. For x=1, recall current setting.

DET mat → r (MATRIX)
Determinant of a square matrix. Matrix de-

scriptor is in X. The matrix is not modified.

Change the number of decimals shown while keeping the basic display format (FIX, SCI, ENG) as is. In ALL, DISP changes the switchover point (see ALL).

CDOT

 $tzyx \rightarrow 0r$ (CPX) (X.FCN)

CPX X.FCN

X and Y are Cartesian components of a first vector, Z and T of a second one. Return $r=x\cdot z+y\cdot t$ in X, 0 in Y.

dRCL s

 $x \rightarrow -$

P-FCN

Interpret s as double precision and recall it.

DROP Drop X.

DSE s

f

Given ccccc.fffii in s, DSE decrements s by ii, skips next program line if ccccccc≤fff. If s has no fractional part then fff=0 and ii=1.

DSL s

P.FCN

Like DSE but skips if *cccccc<fff*.

DSZ s

- → -

P.FCN

Decrement s by 1, and skip the next step if IsI<1 thereafter.

D. MY

MODE

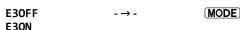
Set the dd.mmyyyy date format.

D→1

 $dc \rightarrow r$

X.FCN

Julian day number of a date. To get julian day number for 0:00:00 of that date, subtract 0.5. See also JG...



Toggle the thousands separators for DECM.

P.FCN END

Last command in a routine and a terminator for local labels search. Cannot be skipped by false test. Works like RTN in all other aspects.

ENG n h

Engineer's display format. Exponent is always a multiple of 3.

h ENG ENTER ENGOVR Use ENG mode to display numbers that cannot

be displayed in ALL or FIX. Compare SCIOVR.

CPX

ENTER个 $x \rightarrow x x$ Push x on the stack, disable stack lift.

ENTRY? TEST

Test the entry flag. This internal flag is set if: * any character is entered in alpha mode, or * any command is accepted for entry (be it via (ENTER†), a function key, or (R/S) with a par-

tial command line). erf X.FCN $x \rightarrow r$

erfc

Error function and its complement.

$$\operatorname{erf}(x) = \frac{2}{\sqrt{\pi}} \int_0^x e^{-t^2} dt$$
$$\operatorname{erfc}(x) = 1 - \operatorname{erf}(x)$$

P.FCN ERR n

Raise the error n. The consequences are the

same as if error *n* really occurred, so e.g. a running program will be stopped. Compare MSG.

	· • ·	
1	Domain error	14 Word size too small
2	Bad time or date	15 Too few data points
3	Undefined op-code	16 Invalid parameter

4 +
$$\infty$$
 error 17 I/O error

11 RAM is full 24 No crystal installed 12 Stack clash 25
$$\int \approx$$

13 Bad mode error

EVEN? $x \rightarrow x$ TEST

Test if x is integer and even.

$$e^x$$
 $x \rightarrow r$ CPX f

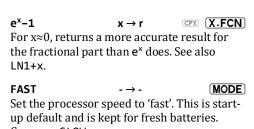
Exponent. See also LN.

Set the exponential curve fit model $R(x) = a_0 e^{a_1 x}$

	· · ·	
Expon	$x \rightarrow p$	PROB
Expon _P	$x \rightarrow r$	
Expon	$a \rightarrow b$	

Exponential distribution, λ in J.

EXPT $\mathbf{x} \rightarrow \mathbf{r}$ $\boxed{\mathbf{X}.\mathbf{FCN}}$ Exponent h of the number $\mathbf{x}=\mathbf{m}\cdot\mathbf{10^h}$. Compare MANT.



FC? n - → - (TEST)

Test if the n-th user flag is clear.

FC?C n - → - <u>TEST</u>

FC?F n

Test if the n-th user flag is clear. Clear, flip, or set this flag after testing.

Fig. $- \rightarrow -$ Flip the n-th user flag.

FIB $x \rightarrow r$ CPX (X.FCN)

INT: Fibonacci number.

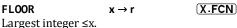
DECM: extended Fibonacci number.

FILL $x \rightarrow ... x x$ CPX g

Copy x to all stack levels.

FIX n - → - **h** Fixed point display format.

FLASH? - → r P.FCN Number of free words in FM.



FP CPX g $x \rightarrow r$

Fractional part of x.

FP? TEST $x \rightarrow x$

Test if x has a nonzero fractional part.

FRACT - → -MODE Switch to fraction display mode, keep the for-

mat as set by PROFRC or IMPFRC earlier.

FS? n TEST Test if n-th user flag is set.

FS?C n TEST FS?F n

FS?S n

Test if n-th user flag is set. Clear, flip, or set this flag after testing.

 $F_{P}(x)$ $x \rightarrow$ PROB r $F_{u}(x)$ $x \rightarrow p$ F(x) $x \rightarrow p$ $F^{-1}(p)$ $p \rightarrow x$

Fisher's F-distribution. The degrees of freedom are in I and K.

f'(x) 1b1 $x \rightarrow 000f'$ P.FCN

First derivative of the function f(x) at position x. f(x) must be specified in a routine starting with LBL 1b1. After return, Y, Z, and T are cleared x is in L.

f'(x) looks for a user routine labeled ' $\delta x'$,

which returns a fixed step size dx in X. If ' δ x' is not defined, dx=0.1. Then, f'(x) evaluates f(x) at ten points equally spaced in the interval x±5 dx. If you expect any irregularities within this interval, change δ x to exclude them.

f"(x) 1b1 $x \rightarrow 000 f$ " P.FCN Like f'(x) but return the second derivative.

GCD $y x \rightarrow r$ $X \cdot FCN$ Greatest Common Divisor of x and y. Always positive.

gCLR s $y x \rightarrow -$ **P.FCN** Clear the pixel at position x, y in the graphic block starting at register address s. Valid ranges are $0 \le x \le w-1$ and $0 \le y \le h-1$. Pixel 0, 0 is top left. See gDIM for more.

Gudermann function and its inverse.

$$g_d(x) = \int_0^x \frac{d\xi}{\cosh \xi}, g_d^{-1}(x) = \int_0^x \frac{d\xi}{\cos \xi}$$

gDIM s $y x \rightarrow y x$ [P.FCN] Initialize a set of registers (a graphic block) for graphic data starting at address s, featuring x (\leq 166) pixel columns and y pixel rows. For x \leq 0, the width w is set to 166. For y \leq 0, the height h is set to 8. The first two bytes in

the block are reserved to hold w and $\check{h} =$

$$\left\lfloor \frac{h+7}{8} \right\rfloor$$

The number of registers needed for the set is $n = \left\lfloor \frac{w \cdot \tilde{h} + 9}{8} \right\rfloor$ in startup standard mode. E.g. 21 registers are required for maximum width and standard height.

The command can be exactly emulated in integer mode by storing $256 \cdot \check{h} + w$ in the first register and clearing the rest. See \blacksquare PLOT.

gDIM? s

- → h w

P.FCN

PROB

Recall Y=h and X=w for a graphic block starting at address s. See gDIM for more.

 $\begin{array}{lll} \mbox{Geom} & \mbox{$x\to p$} \\ \mbox{Geom}_p & \mbox{$x\to r$} \\ \mbox{Geom}_u & \mbox{$x\to p$} \\ \mbox{Geom}^{-1} & \mbox{$p\to x$} \\ \end{array}$

Geometric distribution: The cdf returns the probability for a first success after m=x Bernoulli experiments. The probability p₀ for a success in each such experiment is in J.

gFLP s $y x \rightarrow -$ P.FCN gPIX? s $y x \rightarrow yx$ TEST

Flip or test the pixel at position x, y in the graphic block at address s. See gCLR for more.

gPLOT s $-\rightarrow -$ P.FCN

Display the top left sector of the graphic block (starting at address s) in the dot matrix section of the LCD. See gDIM for more.

GRAD - → - **g**

Set angular unit to gon (grad).

Convert angle of x gon (grad) the current angular unit.

gSET s

 $v x \rightarrow -$

P.FCN

Set the pixel at position x, y in the graphic block starting at address s. See gCLR for more.

GTO 1b1

GTO (A) or (B) (C) (D) – position at label GTO . ▲ – top of current program

GTO . ▼ - top of next program

GTO(.). – step 000

GT0a

P.FCN

Take the first three characters of alpha (or all if there are fewer than three) as a label and positions the program pointer to it.

Н"

 $n x \rightarrow r$

X.FCN

Hnp

Hermite polynomials for probability (H_n) and for physics (H_{np}).

$$\begin{split} H_n(x) &= (-1)^n e^{\frac{x^2}{2}} \frac{d^n}{dx^n} \left(e^{-\frac{x^2}{2}} \right) \\ H_{np}(x) &= (-1)^n e^{x^2} \frac{d^n}{dx^n} \left(e^{-x^2} \right) \end{split}$$

H.MS

 $x \rightarrow x$

f

Display X (containing decimal hours or degrees), in the format hhhhomm'ss.dd" temporarily until any key.

H.MS+ $tc1 tc2 \rightarrow tc3$ X.FCN H.MS-Add or subtract times or degrees in the format *hhhh.mmssdd* in X and Y.

IDIV $y x \rightarrow r$ CPX $X \cdot FCN$

Integer division, like / IP in DECM and like / in integer modes.

IMPFRC - → - gd/c

Fraction display mode. Displays numbers as improper fractions (e.g. 5/3 instead of $1\ 2/3$). Numbers $|x| \ge 100,000$ display as decimals. Compare PROFRC.

INC s $-\rightarrow$ - P.FCN Increment s by 1.

INTM? $- \rightarrow -$ TEST

Test if WP 34S is in integer mode.

INT? $x \rightarrow x$ TEST

Test if x is integer. Compare FP?.

IP $x \rightarrow r$ CPX f Integer part of x.

iRCL s $-\rightarrow r$ $\overline{X.FCN}$

Interpret s as integer data and recall it.

ISE s $- \rightarrow -$ Like ISG but skip if $cccccc \le fff$

Like 13d but skip ii ccccccsjjj

ISG sGiven *cccccc.fffii* in s, **ISG** increments s by *ii*, skipping next program line if then *ccccccc>fff.*If s has no fractional part then fff=0, and ii=1.

Neither fff nor ii can be negative, but cccccc can.

ISZ s $-\rightarrow$ - P.FCN

Increment s by 1, skipping next program line if |s| < 1.

 $I\beta$ $z y x \rightarrow r$ X.FCN

Regularized (incomplete) beta. See also $\boldsymbol{\beta}$

$$I_{\beta} = \frac{\beta_{x}(x, y, z)}{\beta(y, z)},$$

$$(\beta_{x}(x, y, z) = \int_{0}^{x} t^{y-1} (1 - t)^{z-1} dt)$$

 $I\Gamma_p$ $y x \rightarrow r$ X.FCN $I\Gamma_a$

Regularized (incomplete) gamma function (two flavors). See also γ_{XY} , Γ_{XY}

$$I\Gamma_p(x,y) = \frac{\gamma(x,y)}{\Gamma(x)}, I\Gamma_q(x,y) = \frac{\Gamma_u(x,y)}{\Gamma(x)}$$

JG1582 - → - (MODE) JG1752

Set one of two dates of the Gregorian calendar introduction in different large areas of the world (1582-10-15 and 1752-09-14). Affects D>1 and 1>D.

 $J \rightarrow D$ $x \rightarrow dc$ X.FCNConvert x as a Julian day number to a date ac-

cording to JG... and date format settings.

KEY? s $- \rightarrow -$ TEST

Test if a key was pressed while a program was running or paused. If no key was pressed in that interval, the next program step after

KEY? is executed, else it is skipped and the code of pressed key is stored in s. Key codes reflect the rows and columns on the kevboard.

KTP? s

P.FCN

Key type of a key code in s (see KEY?).

- * 0 ... 9 if digit 0 ... 9,
- * 10 if ..., (**EEX**), or +...
- * 11 if (f), (g), or (h)
- * 12 if any other key.

I AST_X

CPX RCL L

Use RCL L in place of LASTx. Complex version takes imaginary part from reg. I

LBL 1b1

f

Identify programs and routines for execution and branching.

LBL? 1b1

TEST

Test for the existence of the label anywhere in program memory.

I CM

 $y x \rightarrow r$

X.FCN

Least Common Multiple of x and y. Always positive.

LEAP?

TEST

 $dc \rightarrow dc$ $m \rightarrow m$

If X is a date in the date format, extract the year, and test for a leap year. If X is integer, test if it is leap year.

LgNrm PROB $x \rightarrow p$ LgNrm_P $x \rightarrow r$ LgNrmu $x \rightarrow p$ LgNrm⁻¹

 $p \rightarrow x$ Lognormal distribution with $\mu = \ln(\bar{x})$ in I and σ =lnε in K. See \bar{x}_g and ϵ below.

LgNrm⁻¹ returns x for a given probability p in X, with μ in I and σ in K.

LINEQS

mat vec $i \rightarrow r$

MATRIX

Solve a system of linear equations Z·X=Y. Take a base register number in X, a vector descriptor in Y, and a descriptor of a square matrix in Z. Return the filled in vector descriptor in X.

LinF

MODE

Set linear curve fit model

 $R(x) = a_0 + a_1 x$

LJ

 $m \rightarrow v x$

X.FCN

Left justify a bit pattern within the word size. Left justified word is placed in Y and the count (number of bitshifts necessary to left justify the word) in X.

Example: for word size 8, 10110₂ LJ results in x=3 and $y=10110000_2$.

LN

 $x \rightarrow r$

CPX g

Natural logarithm of x.

Ln

 $n \times \rightarrow r$

X.FCN

 $L_n\alpha$

 $\alpha n x \rightarrow r$

Laguerre polynomials and generalized poly-

X.FCN

nomials.

$$L_n(x) = L_n^{(0)}(x) = \frac{e^x}{n!} \frac{d^n}{dx^n} (x^n e^{-x})$$
$$L_n^{(\alpha)}(x) = \frac{x^{-\alpha} e^x}{n!} \frac{d^n}{dx^n} (x^{n+\alpha} e^{-x})$$

LN1+x

 $x \rightarrow r$ CPX X.FCN

For x≈0, this returns a more accurate result for the fractional part than ln(x) does.

LNB

 $y x \rightarrow r$ CPX X.FCN

Natural logarithm of Euler's Beta function. See B.

LNF

 $x \rightarrow r$

CPX X.FCN

Natural logarithm of $\Gamma(x)$.

I OAD

P.FCN

Restore the entire backup from FM, i.e. execute LOADP, LOADR, LOADSS, LOADS, and display Restored. Not programmable. Compare SAVE.

LOADE

P.FCN

Load the complete program memory from the backup and append it to the programs already in RAM. This only works if there is enough space, otherwise an error is thrown. Not programmable.

LOADR

P.FCN

Recover numbered general purpose registers from the backup (see SAVE). Lettered registers are not recalled. The number of registers copied, is the minimum number of the registers in the backup and in RAM.



P.FCN

Recover the system state from the backup.

LOADE

P.FCN

Recover the summation registers from the backup. Throw an error if there are none.

LocR n

P.FCN

Allocate n local registers (≤144) and 16 local flags for the current subroutine.

LocR?

- → r

P.FCN

Number of local registers currently allocated.

LOG₁₀

 $x \rightarrow r$

CPX gLG

Inverse of 10x

LOG₂

 $x \rightarrow r$

CPX g LB

Inverse of 2x

LogF

- → -

MODE

Set logarithmic curve fit model

$$R(x) = a_0 + a_1 \ln x$$

Logis Logis_P

 $x \rightarrow p$ $x \rightarrow r$

PROB

Logis_u Logis-1 $x \rightarrow p$

 $p \rightarrow x$

Logistic distribution with μ in J and s in K.

LOG_v

 $v x \rightarrow r$

CPX g

Logarithm of y for the base x.

LZOFF

- → -MODE

LZON

Toggle leading zeros display. Relevant in bases 2, 4, 8, and 16 only.

Return the parameters a_1 and a_0 of the fit curve through the data points accumulated in the summation registers, according to the curve fit model selected (see LINF, EXPF, POWERF, and LOGF). For a straight line (LINF), a_0 is the v-intercept and a_1 the slope.

MANT

 $x \rightarrow r$

X.FCN

Mantissa m of the number x=m·10h. Compare FXPT.

MASKL n

→ r

X.FCN

MASKR n

Generate a bit pattern where lowest (MASKL) or highest (MASKR) n bits are set.
Example: For WSIZE 8, MASKL 3 returns a mask word 111000002.

мах

y x → r

X.FCN

Maximum of x and y.

MEM?

- → ı

P.FCN

Number of free words in program memory, taking into account the local registers.

MIN

v x → r

X.FCN

Minimum of x and y.

MIRROR

m → r

(X.FCN)

Reflect the bit pattern in x (e.g. 00010111_2 becomes 11101000_2 for word size 8).

MOD

 $y x \rightarrow r$

X.FCN

y mod x. Compare RMDR.

MONTH

 $dc \rightarrow r$

X.FCN

Extract month number from a date.

MROW+×

 $tzyx \rightarrow tzyx$

MATRIX

Take a matrix descriptor x, a destination row number y, a source row number z, and a real number t. Multiply each element m_{zi} of (X) by t and add it to m_{yi} . The stack remains unchanged.

MROW×

 $zyx \rightarrow zyx$

MATRIX

Take a matrix descriptor x, a row number y, and a real number z. Multiply each element m_{yi} of (X) by z.

MROW⇄

 $z y x \rightarrow z y x$

MATRIX

Take a matrix descriptor x and two row numbers y and z. Swap the contents of rows y and z in (X). The stack remains unchanged.

MSG n

- → -

P-FCN

Show the message for error n. This will be a temporary message. Compare ERR.

M+×

 $z y x \rightarrow r$

MATRIX

Take two matrix descriptors x and y, and a real number z. Return (X)+(Y)·z=(X). Thus a scalar multiple of one matrix is added to another matrix. The multiply/adds are done in internal high precision and results should be exactly rounded.

M-1

mat → mat

MATRIX

Inverts square matrix in place. Doesn't alter the stack.

MATRIX

Take a matrix descriptor in X and return a value suitable for ISG or DSL looping in that matrix. The loop shall process all elements in (X). The loop counter is for DSL if the descriptor was negative and for ISG otherwise.

M-COL

y mat \rightarrow r

MATRIX

Loop counter for processing all elements m_{iy} of the matrix column y only. See M-ALL

M-DIAG

mat → r

(MATRIX)

Loop to process all elements along the matrix diagonal, i.e. all elements m_{ii} in (X). See M-ALL

M-ROW

y mat → r

(MATRIX)

Loop counter for processing all elements m_{yi} of matrix row y only. See M-ALL

Μ×

 $z v x \rightarrow r$

MATRIX

Take two matrix descriptors y and z, and the integer part of x as the base address of the result. Returns $(Z) \cdot (Y) = (X)$. All calculations are done in internal high precision (39 digits). The fractional part of x is updated to match the resulting matrix – no overlap checking is performed.

M.COPY

mat i → r

MATRIX

Take a matrix descriptor in Y and a base register number in X. Copy the matrix (Y) into registers starting at Rx. Return a properly formatted matrix descriptor in X.

M.DY

- → -

MODE

Set the mm.ddyyyy date format.

M.IJ i mat → c r

Column (Y) and row (X) of a matrix that register i represents. Compare M. REG.

MATRIX

M.LU $mat \rightarrow r$ MATRIX

Take a descriptor of a square matrix in X. Transform (X) into its LU decomposition insitu. The value in X is replaced by a descriptor that defines the pivots that were required to calculate the decomposition. The most significant digit is the pivot for the first diagonal entry, the next most significant for the second and so forth.

M.REG cr mat → i (MATRIX)
Take a matrix descriptor in X, a row number

in Y, and a column number in Z. M. REG returns the register number in X. Compare M. IJ.

M.SQR? mat → mat MATRIX

Test if a matrix descriptor x defines square

matrix. NAND $v x \rightarrow r$ $\overline{X \cdot FCN}$

 $\neg(x \land y)$. See AND.

NaN? $x \rightarrow x$ TEST

Test x for being 'Not a Number'.

Count set bits in x.

nCOL mat → r MATRIX

Number of columns of matrix (X).

X.FCN NETB $v x \rightarrow r$ Nearest machine-representable number to x

in the direction toward y in the mode set. For x<y (or x>y), this is the machine successor (or predecessor) of x; for x=y it is y.

NEXTP $x \rightarrow r$ Next prime number greater than x.

NOP

X.FCN

PROB

(h)

X.FCN

Empty step

X.FCN NOR $v x \rightarrow r$

 $\neg (x \lor v)$. See AND.

Norm1 $x \rightarrow p$ Norm1 $x \rightarrow r$ Norm1, $x \rightarrow p$ Norm₁-1

 $x \leftarrow a$

Normal distribution with an arbitrary mean μ in I and a standard deviation σ in K.

NOT $x \rightarrow r$ INT: Invert x bitwise.

DECM: 1 for x=0, and 0 for $x\neq 0$.

nROW MATRIX $mat \rightarrow r$

Number of rows of matrix (X).

SUMS nΣ

Number of accumulated statistical data points.

ODD TEST

Test if x is integer and odd.

- → -

h

Turn off your WP 34S.

OR

 $y x \rightarrow r$

h

See AND

PERM

 $y x \rightarrow r$

CPX g

Number of possible arrangements of y items taken x at a time. Compare COMB.

$$P_{x,y} = \frac{y!}{(y-x)!}$$

 $\mathbf{P}_{\mathbf{n}}$

 $n x \rightarrow r$

X.FCN

PROB

Legendre polynomials.

$$P_n(x) = \frac{1}{2^n n!} \frac{d^n}{dx^n} [(x^2 - 1)^2]$$

Poiss Poiss⊳

x → p x → r

Poiss.

x → p

Poiss⁻¹

 $p \rightarrow x$

Poisson distribution with the number of successes in X, the gross error probability p_0 in J, and the sample size n in K. The Poisson parameter is calculated automatically. See Poisa.

Poisλ

x → p

PROB

 $Pois\lambda_P$

 $\chi \rightarrow I$

Poisλ_u Poisλ⁻¹ x → p

 $p \rightarrow x$

Pois λ works like Poiss but with λ in J and without using K.

Pop the local registers allocated to the current routine without returning. See LocR and RTN.

PowerF

- → -

MODE

Set power curve fit model

 $R(x) = a_0 x^{a_1}$

PRCL

- → -

P.FCN
CAT: RCL

Copy the current program (from FM or RAM) and appends it to RAM, where it can then be edited. Can have duplicate program labels in RAM. Only works with enough space at destination.

PRIME?

 $x \rightarrow x$

(TEST)

Test if the absolute value of the integer part of x is a prime. The method is believed to work for integers up to $9 \cdot 10^{18}$.

PROFRC

- → -

fab/c

Set fraction display mode. Display numbers as proper fractions (e.g. 1 2/3 instead of 5/3). Numbers $|x| \ge 100,000$ display as decimals. Compare IMPFRC.

PROMPT

- →

P-FCN

Display alpha and stop program execution.

PSE n

→ -

 (\mathbf{h})

Refresh the display and pause program execution for n ticks (see TICKS), $0 \le n \le 99$. The pause terminates when you press a key.

P.FCN CAT: STO

Copy the current program from RAM and append it to the FM library. Not programmable. The program must have at least one alpha LBL, preferably at its beginning. If a program with the same label already exists in the library it is deleted first.

PUTK S

P.FCN

Stop program execution and place key code from s in the keyboard buffer, resulting in immediate execution of the corresponding keystroke. After that, (R/S) is required to resume program execution.

RΔD

g

Set angular unit to radians.

RAD→

 $x \rightarrow \theta$

X.FCN

Convert x radians to current angular unit.

RAN#

- → r

f

DECM: random number between 0 and 1. INT: random bit pattern for the word size set.

RCL S

CPX

Recall the number from the source register.

RCLM s

RCL MODE Recall modes stored by STOM. No need to

press (h).

RCLS s

- → ... t z y x

P.FCN

Recall 4 or 8 values from a set of registers starting at address s, and push them on the stack. This is the converse command of STOS.

RCL+ s CPX $x \rightarrow r$ RCL- s CPX RCL_x s CPX RCL/ s CPX RCL↑ s RCL (A) RCL ▼ RCL↓ s

Recall s, execute operation and push the result on the stack. E.g. RCL-12 subtracts r12 from x and displays the result (acting like RCL 12 -, but without losing a stack level). cRCL-12 subtracts r12 from x and r13 from y. $RCL\uparrow(\downarrow)$ replaces x with the maximum (minimum) of s and x.

X.FCN RDP n

Round x to n decimal places ($0 \le n \le 99$), taking the RM setting into account. See RM and compare RSD.

MODE RDX. RDX. $\overline{}$

Toggle the radix mark.

RFAIM? TEST Test if in real mode (DECM).

RFCV P.FCN

Prepare to receive data via serial I/O. See SEND...

REGS n MODE

Specify the number of global general purpose registers. 0≤n≤100

REGS?

- → r

P.FCN

Number of global general purpose registers (0...100).

RESET

- → -

P-FCN

If confirmed, execute CLALL and reset all modes to start-up default, i.e. 24h, 2COMPL, ALL Ø, DBLOFF, DEG, DENANY, DENMAX Ø, D.MY, E3ON, LinF, LocR Ø, LZOFF, PROFRC, RDX., REGS 100, SCIOVR, SEPON, SSIZE4, WSIZE 64, and finally DECM. See these commands for more. Not programmable.

RJ

 $m \rightarrow y x$

X.FCN

Right justify. Example: 101100 RJ results in Y=1011 and X=2. See LJ.

RL n

 $x \rightarrow r$

X.FCN

RLC n

 $x \rightarrow r$

X.FCN

Rotate left/rotate left through carry. For RL, $0 \le n \le 63$. For RLC, $0 \le n \le 64$.

RM n

- → -

MODE

Set floating point rounding mode. This is only used when converting from the high precision internal format to packed real numbers. It will not alter the display nor change the behavior of ROUND. The following modes are supported:

- 0: round half even; 0.5 rounds to next even number (default).
- 1: round half up; 0.5 rounds up ('businessman's rounding').
- 2: round half down; 0.5 round down.

3: round up; round away from 0.

4: round down; round towards 0 (truncate). 5: ceiling; round towards +∞.

6: floor; round towards -∞.

RMDR

 $y x \rightarrow r$

 \mathbf{h}

Remainder of a division. Works for real numbers as well. Compare MOD.

RM?

- → r

P-FCN

Floating point rounding mode. See RM for details.

ROUND

 $x \rightarrow r$

CPX g

Round x using the current display format. In fraction mode, round x using the current denominator.

ROUNDI

 $x \rightarrow r$

X.FCN

Round x to next integer. $\frac{1}{2}$ rounds to 1.

RR n

 $x \rightarrow r$

X.FCN

RRC n

Rotate right/rotate right through carry. For RR, $0 \le n \le 63$. For RRC, $0 \le n \le 64$.

RSD n

 $x \rightarrow r$

X.FCN

Round x to n significant digits, taking the RM setting into account. See RM and compare RDP.

RTN

- → -

g

Execution: Last command in a typical routine. Pop the local data (like PopLR) and return control to the calling routine in program execution, i.e. moves the program pointer one step behind the XEQ instruction that called

the routine. If there is none, program execution halts and the program pointer is set to a beginning of current program.

Other: Reset the program pointer to 000 in RAM.

RTN+1 $-\rightarrow$ - P.FCN

Like RTN, but move the program pointer two steps after the XEQ instruction that called said routine. Halt if there is none.

R-CLR $x \rightarrow x$ $P \cdot FCN$

x is in the form sss.nn. Clear nn registers starting with address sss. If nn=0, it clears the maximum available.

Example: For x=34.567, R-CLR will clear R34 through R89.

ATTENTION for *nn*=0: For *sss*=0...99, clearing will stop at the highest allocated global numbered register. For *sss*=100...111, clearing will stop at K. For *sss*≥112, clearing will stop at the highest allocated local register.

R-COPY $x \rightarrow x$ $P \cdot FCN$

x is in the form *sss.nnddd*. Copy *nn* registers starting with address *sss* to *ddd*. If *nn*=00, it will take the maximum available.

Example: For x=7.03045678, r07, r08, r09 will be copied into R45, R46, R47, respectively.

For x<0, R-COPY takes *nn* registers from backup FM, starting with register number |sss|. Destination is always RAM.

See R-CLR

 $x \rightarrow x$

P.FCN

x is in the form sss.nn. Sort the contents of nn registers starting with address sss. If nn=0, it sorts the maximum available.

Example: Assume x=49.0369, r49=1.2, r50=-3.4, and r51=0; then R-SORT will return r49=-3.4. r50=0. and r51=1.2.

See R-CLR

R-SWAP

 $x \rightarrow x$

P.FCN

Like R-COPY but swap the contents of source and destination registers.

R↑ R↓

CPX h

Rotate the stack contents one level up or down, respectively.

s

- → sv sx

(g)

Sample standard deviations sy and sx for the data in statistics registers.

 $s_x = \sqrt{\frac{\sum x_i^2 - n\bar{x}^2}{n-1}}$

SAVE

P.FCN

Save user program space, registers and system state to backup FM, and display Saved. Use LOAD... to recall your backup. Not programmable.

SR n

X.FCN

Set the n-th bit in x.

SCI n

 \mathbf{h}

Scientific display format.

SCIOVR

h SCI ENTER

Use SCI mode to display numbers that cannot be displayed in ALL or FIX. Compare ENGOVR, see RESET.

SDL n

 $x \rightarrow r$

X.FCN

SDR n

 $x \rightarrow r$

X.FCN

Shift digits left (right) by n decimal positions, equivalent to multiplying (dividing) x by 10ⁿ. Compare SL and SR for integers.

SEED

 $x \rightarrow x$

STAT

Store a seed for a random number generator.

SENDA

X.FCN

SENDP SENDR

SENDΣ

SENDA sends all RAM data, SENDP - the program memory, SENDR - the global general purpose registers, and SENDΣ - the summation registers, to the device connected via serial I/O. See RECV.

SEPOF

MODE

SEPON

INT: (h)(./,

Toggle the digit group separators for integers. Display separators every ...

... four digits in bases 2 and 4,

... two digits in base 16,

... three digits in all other integer bases.

SERR

- → sv sx

STAT

Standard errors (i.e. the standard deviations of \bar{x} and \bar{y}) of the statistical data. See s.

$$s_{Ex} = \frac{s_x}{\sqrt{n}}$$

SERR.

- → sx

STAT

Standard error for weighted data, i.e. the standard deviation of \bar{x}_w . See s_w .

$$S_{EW} = \frac{S_W}{\sqrt{\sum y_i}}$$

SETCHN

- → -

MODE

SETEUR

SETIND

SETJPN

SETUK

SETUSA

Set regional preferences.

SETDAT

 $dc \rightarrow dc$

(MODE)

Set the date for the real time clock (the emulator takes this information from the PC clock).

SETTIM

 $tc \rightarrow tc$

MODE

Set the time for the real time clock (the emulator takes this information from the PC clock).

SF n

- → -

f

Set the n-th user flag.

SHOW

→ -

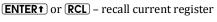
g

Stack and registers browser.

nn - set current register address (CRA)

▲ ▼ – increment or decrement CRA

turn to local registers



SIGN CPX X.FCN $x \rightarrow r$

1 for x>0, -1 for x<0, and 0 for x=0 or non-numeric data. Complex version returns unit vector of $x+i\cdot y$ in X and Y.

MODE SIGNMT

Set sign-and-mantissa mode for integers.

CPX f SIN $\theta \rightarrow r$ Sine of an angle.

SINC $\theta \rightarrow r$ CPX X.FCN

Unnormalized sinc: $\frac{\sin x}{x}$ for $x \neq 0$; 1 for x=0.

SINH CPX (f)(HYP)

SINH $x \rightarrow r$ Hyperbolic sine, $\sinh x = \frac{e^x - e^{-x}}{2}$

SKIP n P.FCN

Skip n program steps forwards ($0 \le n \le 255$). So e.g. SKIP 2 skips over the next two steps, going e.g. from step 123 to step 126. If SKIP attempts to cross an END, an error is thrown.

SI n X.FCN $m \rightarrow r$ Shift bits left, n<63.

SLOW MODE

Set the processor speed to 'slow'. This mode is automatically entered for low battery voltage. Compare FAST.

SLV 1b1 $x1 x2 \rightarrow f(x) xn x$ f Solve the equation f(x)=0, with f(x) calculated

by the routine at label *lbl*. Two initial estimates of the root must be supplied in X and Y when calling SLV. For the rest, the user interface is as in the HP-15C. This means SLV returns root in X, the second last x-value tested in Y, and $f(x_{root})$ in Z. Also, SLV acts as a test, so the next program step will be skipped if SLV fails.

Please refer to the HP-15C Owner's Handbook (Section 13 and Appendix D) for more information about automatic root finding.

SLVQ a b c \rightarrow r x2 x1 $\overline{X.FCN}$

Solve the quadratic equation $ax^2 + bx + c = 0$

and test the result.

* If $r = b^2 - 4av \ge 0$, SLVQ returns $-\frac{b \pm \sqrt{r}}{2a}$ in Y and X. In a program, the step after SLVQ will be executed.

* Else, SLVQ returns the real part of the first complex root in X and its imaginary part in Y (the 2nd root is the complex conjugate of the first – see CONJ). If run directly from the keyboard, the complex indicator C is lit then – in a program, the step after SLVQ will be skipped.

In either case, SLVQ returns r in Z. Higher stack levels are kept unchanged. L will contain equation parameter c.

SMODE? $-\rightarrow r$ P.FCN

Integer sign mode: 2 (meaning 'true') for 2's complement,

1 ('true' again) for 1's complement, 0 (i.e. 'false') for unsigned, or -1 (i.e. 'true') for sign and mantissa mode.

SPEC?

 $x \rightarrow x$

TEST

Test if x is 'special', i.e. infinite or non-numeric.

SR n

m → r

X.FCN

Shift bits right, n≤63.

sRCL s

- → r

X.FCN

Interpret contents of s as single precision data and recall it.

SSIZE4

.

MODE

SSIZE8
Set the stack size to 4 or 8 levels. Register contents will remain unchanged in this operation. The same happens if stack size is modified by any other operation (e.g. by RCLM).

SSIZE?

- → ı

P.FCN

Number of stack levels.

STO s

els. ×→×

CPX STO

Save x to register s.

STOM s

- → -

STO MODE

Store mode settings in s (no need to press

h). RCLM recalls mode data.

LCD contrast setting

4,5 0=DENANY, 1=DENFAC, 2=DENFIX

6...19 DENMAX (14 bits for 0...9999)

20 0=PROFRC, 1=IMPFRC

21 1=fraction mode is on

22,23 0=ALL, 1=FIX, 2=SCI, 3=ENG

24...27 Number of decimals (4 bits for 0 ... 11) 28 0=SCIOVR. 1=ENGOVR 29 0=RDX. 1=RDX, 30 1=E30FF 31 1=SEPOFF 32 1=integer mode 33 1=I 70N 34.35 1=1COMPL. 0=2COMPL. 2=UNSIGN. 3=SIGNMT 36...39 Integer base (4 bits for 2...16 coded as 1...15) WSIZE (6 bits for 1...64 coded as 0...63) 40 45 46 1=DBLON 47 0=24h, 1=12h 48, 49 Print mode=0...3, see MODE 50 Not used 51 0=SSIZE4.1=SSIZE8 52, 53 1=Y.MD. 2=M.DY. 3=D.MY 54, 55 0=DEG. 1=RAD. 2=GRAD 56...58 0=LINF, 1=EXPF, 2=POWERF, 3=LOGF, 4=BESTF 0=FAST, 1=SLOW 59

> Rounding mode (0...7, see RM) 0=JG1782, 1=JG1582

STOP

60...62

63

- → -

R/S

Stop program execution.

STOPW

CPX R/S X.FCN

Stopwatch application based on the real time clock and following the timer of the HP-55. See also XTAL?

R/S – start/stop the timer

- set the timer to zero without changing its status (running or stopped).

(**EEX**) – hide/show tens of seconds

nn - set current register address (CRA)

ENTER - store H.MS timer value into current register, increment CRA.

▲. ▼ - increment or decrement CRA

- same as ENTER +
- A convert timer value to H.d and add to statistics registers
- + same as A.

RCL *nn* – recall r*nn* without changing status **EXIT** – leave application. If counting, timer continues to count, indicated by small '=' annunciator.

STOS s

- → -

P.FCN

Store all current stack levels in a set of 4 or 8 registers, starting at destination address s. See RCLS.

 STO+ s
 x → x
 CPX

 STO- s
 CPX

 ST0× s
 CPX

 STO/ s
 CPX

 STO s
 STO Image: CPX

 STO Image: CPX
 STO Image: CPX

 STO Image: CPX
 STO Image: CPX

 STO Image: CPX
 STO Image: CPX

Execute the specified operation on s and store the result there. \uparrow is maximum, \downarrow is minimum. E.g. STO-12 subtracts x from r12 like the keystrokes $(RCL)12x^2y$ -(STO)12 would do, but the stack remains unchanged.

SUM

 $- \rightarrow \Sigma y \Sigma x$

STAT

Recall the linear sums Σy and Σx . Also useful for elementary vector algebra in 2D.

 $s_w - \rightarrow r$ STAT

Standard deviation for weighted data (where the weight y of each data point x was entered via Σ +). See \bar{x}_w , compare $SERR_W$

$$\mathbf{s}_w = \sqrt{\frac{\sum y_i \sum y_i x_i^2 - [\sum y_i x_i]^2}{\sum (y_i - 1) \sum y_i}}$$

Sxy

STAT

Sample covariance for the two data sets entered via Σ +. It depends on the fit model. For linear fit

$$s_{XY} = \frac{n \sum x_i y_i - \sum x_i \sum y_i}{n(n-1)}$$

See COV for the population covariance.

TAN

CPX f

Tangent of an angle.

TANH

 $x \rightarrow r$ CPX fHYP

Hyperbolic tangent of x. $tanh x = \frac{e^{2x}-1}{e^{2x}+1}$

TTCKS

P.FCN

Number of ticks from the real time clock. With the crystal oscillator installed, 1 tick is 0.1 s. Without, it may be some 10% more or less. TICKS does not require crystal.

TIME

- → tc

X.FCN

Time from the real time clock at in the format hh.mmss. See XTAL?

T_n

X.FCN

Chebychev polynomials of first kind.

 $(1-x^2)f''(s) - xf'(x) + n^2f(x) = 0$

TOP?

TEST

Tests false if called in a subroutine, true if the

program-running flag is set and the subroutine return stack pointer is clear.

TRANSP

 $mat \rightarrow r$

MATRIX

PROB

Take a matrix descriptor x and return the descriptor of its transpose. The transpose is done in-situ and does not require any additional memory.

t_P(x) t_u(x) t(x)

t-1(p)

 $x \rightarrow r$ $x \rightarrow p$

 $x \rightarrow p$ $p \rightarrow x$

Student's t distribution. The degrees of freedom are stored in J.

t**≓** s

... → ...

P-FCN

Swap T and s. See $x \rightleftharpoons$.

ULP

 $x \rightarrow r$

X.FCN

1 times the smallest power of ten which can be added to x or subtracted from x to actually change the value of x in the mode set. 1 in integer mode.

Un

 $n \times \rightarrow r$

X-FCN

Chebychev polynomials of second kind with n in Y. They are solutions to

 $(1-x^2)f''(s) - 3xf'(x) + n(n+2)f(x) = 0$

UNSIGN

→ -

MODE

Set unsigned integer mode.

VFRS

_

X.FCN

Show firmware version and build number.

VIEW s - → - h

Show s until a key is pressed.

VIEW α - \rightarrow - P.FCN

Input: VIEW -

Display alpha in the top row and - - - in the bottom row until next key is pressed.

VW α + s $-\rightarrow$ - $\boxed{P.FCN}$

Input: h VIEW

Display alpha in the top row and s in the bottom row until the next key is pressed.

WHO - → - <u>X.FCN</u>

Display credits to the brave men who made this project work.

WDAY $dc \rightarrow r$ X.FCN Day number of a date. Show day name in the

dot matrix. (1=Monday, 7=Sunday).

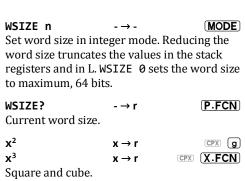
 W_p returns the principal branch of Lambert's W (solution of $x = We^W$) for given $x \ge -1/e$. W_m returns its negative branch.

 W^{-1} returns xe^x for $x \ge -1$.

Weibl $x \rightarrow p$ PROB Weibl_p $x \rightarrow r$ Weibl_u $x \rightarrow p$

Weibl_u $x \rightarrow p$ Weibl⁻¹ $p \rightarrow x$

Weibull distribution with its shape parameter b in I and its characteristic lifetime T in K.



XEQ 1b1 - → - Call the subroutine with the label specified.

XEQα - → - (P.FCN)

Take the first three characters of alpha as a label and execute the respective routine.

XNOR $y x \rightarrow r$ **X.FCN** 1 when both inputs are equal. See AND.

 \mathbf{h}

f

XOR $y x \rightarrow r$ 1 when both inputs are different. See AND.

XTAL? - →- TEST

XTAL? \rightarrow TEST Test for presence of the crystal necessary for

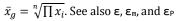
Test for presence of the crystal necessary for a precise real time clock, DATE, TIME and printing commands.

- → rv rx

Arithmetic means of the x- and y- accumulated data. See also s, SERR, and σ .

Ÿ

 $\bar{\mathbf{x}}_{\mathbf{g}}$ \rightarrow **ry rx** (STAT) Geometric means of the accumulated data.



Āω - → r STAT Arithmetic mean for weighted data (where

the weight v of each data point x was entered via Σ+) $\bar{x}_w = \frac{\sum x_i y_i}{\sum y_i}$. See also s_w and SERR_w.

â X.FCN $x \rightarrow r$

Forecast x for a given y (in X) following the fit model chosen. See L.R. for more.

x! CPX h $x \rightarrow r$

DECM: $\Gamma(x+1)$, INT: x!

X.FCN $x \rightarrow x$ $x \rightarrow \alpha$

Append the character with code x to alpha.

x**≠** s CPX h $x \rightarrow r$

Swap X and s, similar to $x \rightleftharpoons y$.

CPX 🗦 x ≥ Y $V X \rightarrow X V$

Swap the stack contents x and y. Complex swap displays as cx≠ Z.

TEST x<? s $x \rightarrow x$ x≤? s TEST $x \rightarrow x$

x=? s $x \rightarrow x$ CPX f

x = +0?(TEST) $x \rightarrow x$

x = -0? TEST $x \rightarrow x$

x≈? s **TEST** $x \rightarrow x$

x≠? s CPX g $x \rightarrow x$

x≥? s **TEST** $x \rightarrow x$

x>? s TEST $x \rightarrow x$

Compare x with s.

 $x \approx$? is true if the rounded values of x and s are equal (see ROUND).

The signed tests x=+0? and x=-0? are meant for integer modes 1COMPL and SIGNMT, and for DECM if flag D is set. In all these cases, e.g. 0 divided by -7 will display -0.

CPX(f) x=? s and **CPX**(g) $x\neq?$ s compare the complex number $x+i\cdot y$.

x-y $y x \rightarrow r$ (x) (x)

YEAR $dc \rightarrow r$ (X.FCN)Year of a date.

rear of a date.

 y^x $y x \rightarrow r$ CPX f In integer modes, x must be ≥ 0 .

ŷ x → r [f]

Forecast y for a given x following the fit model chosen. See L.R. for more.

Y.MD - → - MODE

Set the yyyy.mmdd date format.

y**⇄** s ... → ... <u>P.FCN</u> z**⇄** s

Swap Y or Z with s. See $x \rightleftarrows$ and $t \rightleftarrows$.

α \rightarrow \rightarrow \rightarrow \rightarrow STO&¬INPUT: Turn on alpha mode for keyboard entry of alpha constants. INPUT is set and the previous program step stays displayed until a character is entered. Each such character (e.g. '?') is stored in one program step (such as α? here) and will be appended

to alpha during program execution.

STO&INPUT: Turn on alpha group mode for direct entry of up to three characters in one program step taking two words. Your WP 34S will display α' in the top line. Enter the characters you want to append to alpha.

Example: f \omega T f \omega E S f \omega T

h PSE 1 will result in two program steps stored:

a'Tes'

a't 1'

and *Test 1* appended to alpha during program execution.

¬STO&¬INPUT: Enter alpha mode for appending characters to alpha. To start a new string, use CL α first.

¬STO&INPUT: Leave alpha mode.

αDATE

 $dc \rightarrow dc$

X.FCN

Append formatted date to alpha. See DATE. To append a date stamp to alpha, call DATE α DATE. For a short European date stamp, set FIX 2, RDX. and call DATE α RC# X.

αDΑΥ

dc → dc

X.FCN

Append first three letters of day of week for date in x to alpha.

- → -

αGTO s

P.FCN

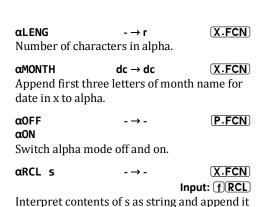
Take the first three characters of s, interpreted as string, and position the program pointer to the alpha label with same name.

αΙΡ

 $x \rightarrow x$

X.FCN

Append the integer part of x to alpha.



to alpha.

arc# s $x \rightarrow x$ **X.FCN**Interpret s as a number, convert it to a string in the format set, and append this to alpha. Example: If s is 1234 and ENG 2 and RDX. are set, then 1.23e3 will be appended.

See also $\alpha DATE$ for an application.

 α RL n $-\rightarrow$ - X.FCN Rotate alpha left by n characters.

 α RR n $-\rightarrow$ - (X.FCN) Like α RL but rotates to the right.

 $\alpha SL \quad n \qquad - \rightarrow - \qquad \overline{X.FCN}$

Shift the n leftmost characters out of alpha.

αSR n $- \rightarrow -$ X.FCNInsert n spaces in the beginning of alpha.

in the destination s.

X.FCN

INPUT: f STO Store the first (leftmost) 8 characters of alpha

 $\alpha TIME$

 $tc \rightarrow tc$

X.FCN

Append formatted time to alpha. See 12h, 24h, and TIME. To append a time stamp to alpha, call TIME αTIME.

αXEQ s

P.FCN

Execute routine with alpha label equal to first 3 characters of s interpreted as string.

 $\alpha \rightarrow x$

X.FCN

Remove first (leftmost) character from alpha and return its code.

ß

 $y x \rightarrow r$

CPX X.FCN

Euler's Beta for Re(x)>0, Re(y)>0.

$$B(x,y) = \frac{\Gamma(x) \Gamma(y)}{\Gamma(x+y)}$$

Named β to avoid ambiguity.

г

 $x \rightarrow r$

CPX X.FCN

 $\Gamma(x)$. Additionally, (h)(x!) calls $\Gamma(x+1)$. See also LNF.

Yxy

X.FCN

Гху

Lower or upper incomplete gamma function.

$$\gamma(x,y) = \int_0^y t^{x-1} e^{-t} dt$$

$$\Gamma_{\rm u}(x,y) = \int_y^\infty t^{x-1} e^{-t} dt$$

Number of days between 2 dates.

Δ%

$$y x \rightarrow y r$$

X.FCN

 $100\frac{x-y}{y}$. Preserves Y.

ε

STAT

Scattering factors ε_y and ε_x for log-normally distributed sample data. ε_x is to the geometric mean xg as the standard deviation s to the arithmetic mean x but multiplicative instead of additive.

$$\ln \varepsilon_x = \sqrt{\frac{\sum \ln^2 x_i - 2n \ln \overline{x_g}}{n-1}}$$

 ϵ_{m}

- → ry rx

STAT

Like ε but returns the scattering factors of the two geometric means. $\varepsilon_m = \varepsilon^{\frac{1}{\sqrt{n}}}$

E٥

- → ry rx

STAT

Like ε but returns the scattering factors of the two populations.

7

 $x \rightarrow r$

X.FCN

Riemann's Zeta. Analytical continuation of $\zeta(x) = \sum_{n=1}^{\infty} \frac{1}{n^x}$

π

CPX h

Recall π.

Π 1b1

 $x \rightarrow r$

f

Compute a product using the routine lbl. Initially, X contains the loop control number in

the format *cccccc.fffii*, and the product is set to 1. Each run through the routine specified by lbl computes a factor. At its end, this factor is multiplied with the product; the operation then decrements *cccccc* by *ii* and runs said routine again if then *cccccc=fff*, else returns the resulting product in X.

$$\sigma - \rightarrow ry rx$$
 STAT

Standard deviations of the two populations.

$$\sigma_{x} = \frac{1}{n} \sqrt{\sum (x_{i} - \bar{x})}$$

 Σ lbl $x \rightarrow r$ g

Compute a sum using the routine specified at LBL. Initially, X contains the loop control number in the format *cccccc.fffii*, and the sum is set to 0. Each run through the routine specified by 1b1 computes a summand. Then, this summand is added to the sum; the operation then decrements *cccccc* by *ii* and repeats until *cccccc≤fff*.

 Σln^2x $-\rightarrow r$ <u>SUMS</u> Σln^2v

Σlnx Σlnxy

Σlny Σxlny

Σylnx

Recall the respective statistical sums. These sums are necessary for curve fitting models beyond pure linear. These sums are stored in special registers.

ATTENTION: Depending on input data, some or all of these sums may become non-numeric.

$$\sigma_w$$
 $- \rightarrow r$ STAT

Like s_w but returns the standard deviation of the population instead.

$$\sigma_w = \sqrt{\frac{\sum y_i (x_i - \bar{x}_w)^2}{\sum y_i}}$$

 $\Sigma x \longrightarrow r$ SUMS

Σx²y

Σxy Σy

 Σv^2

Recall the respective statistical sums. These sums are necessary for basic statistics and linear curve fitting. These sums are stored in special registers.

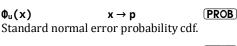
$$\Sigma$$
+ $y x \rightarrow y n$

 Σ + adds a data point to the statistical sums.

Shortcut works if label A is not defined. Σ - subtracts a data point from the statistical sums.

Both functions preserve Y, return number of points in X, disable stack lift.

Both may be used for 2D vector adding and subtracting as well.



$$\varphi(x) \qquad \qquad x \to r \qquad \qquad \overline{PROB}$$

Standard normal pdf.
$$\varphi(x) = \frac{1}{\sqrt{2\pi}} e^{-\frac{x^2}{2}}$$

$$\Phi(x) \qquad x \to p \qquad f$$

$$\mathbf{\Phi}(\mathbf{x}) \qquad \mathbf{x} \to \mathbf{p} \qquad \boxed{\mathbf{f}}$$
Standard normal cdf. $\Phi(x) = \int_{-\infty}^{x} \varphi(t) dt$

g

Standard normal cdf.
$$\Phi(x) = \int_{-\infty}^{\infty} \phi(t) dt$$

Φ-1(p) $x \leftarrow a$ Inverse of standard normal cdf.

 χ^2 distribution, degrees of freedom in J.

 $(-1)^{X}$ $x \rightarrow r$ CPX X.FCN $\cos(\pi \cdot x)$ for non-integers.

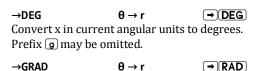
×MOD X.FCN $z v x \rightarrow r$ $(z\cdot y)$ mod x for x>1, y>0, z>0.

/
$$y x \rightarrow r$$
 \Rightarrow y/x . Compare IDIV.

+/-
$$x \rightarrow r$$
 Unary minus, corresponding to $x \cdot (-1)$ or

 $x^{c} \cdot (-1)$, respectively.

 $v m d \rightarrow dc$ X.FCN →DATE Convert three components of a date (year, month, and day) to a date according to date format. Inverse of DATE→.



Like \rightarrow DEG, but converts to gon (grad). \rightarrow HR $x \rightarrow r$ \rightarrow (f)H-d)

Convert hours or degrees in the format hhhh.mmssdd to a decimal time or angle, allowing for using standard arithmetic operations then.

 \rightarrow H.MS $x \rightarrow r$ \rightarrow f

Convert x as decimal hours or degrees to the format *hhhh.mmssdd*. See H.MS+, H.MS-.

→**POL** $y x \rightarrow \theta r$ g
Assume X and Y contain 2D Cartesian coordi-

Assume X and Y contain 2D Cartesian coordinates (x, y) of a point or components of a vector and convert them to the polar coordinates/components (r, θ)

 \rightarrow RAD $\theta \rightarrow r$ \rightarrow RAD

Like →DEG, but converts to radians.

 \rightarrow REC $\theta r \rightarrow y x$

Assumes X and Y containing 2D polar coordinates (r, θ) of a point or components of a vector and converts them to the Cartesian coordinates or components (x, y).

 \rightleftharpoons ???? ... \rightarrow ... \bigcirc ... \bigcirc ... \bigcirc Shuffle the contents of the bottom four stack

Shuffle the contents of the bottom four stack levels. Examples:

ZYZTX works like R↓,

ZTXY works like cx≥y,

but **ZZZX** is possible as well.

This command does not affect the higher levels in an 8-level stack.

% $y x \rightarrow y r$ f) $xy/_{100}$, keeps Y. Disables stack lift.

%MG $y x \rightarrow r$ X.FCN

Margin $100 \frac{x-y}{x}$ in % for a price x and cost y.

%MRR $z v x \rightarrow r$ $X \cdot FCN$

Mean rate of return in percent per period, i.e. $100((x/y)^{1/z}-1)$ with x= future value after z periods, y= present value.

For z=1, Δ % returns the same result easier.

%T $y x \rightarrow y r$ $X \cdot FCN$ $100^{x}/_{v}$, interpreted as % of total. Keeps Y.

%Σ $x \rightarrow r$ X.FCN

STAT

 $100\frac{x}{\Sigma x}$

%+MG $y x \rightarrow r$ X.FCN

Calculate a sales price by adding a margin of x% to the cost y. $r = \frac{y}{1-x/100}$

You may use %+MG for calculating net amounts as well. Just enter a negative percentage in x.

Example: Total billed =221,82 €, VAT=19%.

What is the net?

221,82(ENTER +) 19(+/-)(X.FCN) %+MG returns 186,40.

J

 $x \rightarrow r$

CPX f

g

Square root.

f lbl

 $y x \rightarrow r$ Integrate the function given in the routine specified. Lower and upper integration limits must be supplied in Y and X, respectively. Otherwise, the user interface is as in the HP-15C.

Please turn to the HP-15C Owner's Handbook (Section 14 and Appendix E) for more information about automatic integration and some caveats.

ج م

 $x \rightarrow x$

TEST

Test x for infinity.

^MOD

 $zyx \rightarrow r$

X.FCN

 (z^y) mod x for x>1, y>0, z>0.

Example:

f 10 73 ENTER+ 55 ENTER+ 31 (X.FCN)

^MOD returns 26.

П

CPX g

 $\frac{1}{1/x^{+1}/\nu}$, or 0 if x or y is zero.

■ADV

P.FCN

Print the current contents of the print buffer plus a linefeed. The printer will actually print only when a line feed is sent to it.

ATTENTION: Any printing command works only with a hardware modification or in emulator in combination with a printer emulator. Otherwise, print commands will be ignored. See #? and XTAL?.

≜CHR n

P.FCN

Send a single character (with the code n) to the printer. Character codes n>127 can only be specified indirectly. Honor \blacksquare MODE setting. Compare \blacksquare #. See \blacksquare ADV.

≞PLOT s

- → -

P-FCN)

Send the graphic block starting at address s to the printer. If its width is 166, the data will be trailed by a line feed. See BADV and gDIM.

≞cr_{XY} s

- → -

P.FCN

Print the registers s and s+1. A semicolon separates both components in the output. Works like **a**r otherwise.

馬DLAY n

- →

P.FCN

Set a delay of n ticks (see TICKS) to be used with each line feed on the printer.

-MODE n

P.FCN

Set print mode.

- 0 (default): Use the printer font and character set wherever possible. All characters feature the same width, 5 pixels + 2 pixels.
- 1: Use the variable pitch display font.
- 2: Use the small display font.
- 3: Send the output to the serial channel. Works for plain ASCII only no characters

will be translated. Line setup is the same as for serial communication: 9600 baud, 8 bits, no parity.

■PROG - → - **P.FCN**

Print the listing of the current program, one step per line. See **ADV**. Not programmable.

 $\exists r s \qquad -\rightarrow - \qquad \boxed{P.FCN}$

Prints s, right adjusted, without label.

Shortcut ft in run mode prints X. See

ADV.

Interpret x in the form *sss.nn*. Print the contents of *nn* registers starting with number *sss*. Each register takes one line starting with a label.

ATTENTION: for nn=0:

For s=0...99, printing stops at the highest allocated global numbered register.

For s=100...111, printing stops at K.

For s≥112, printing stops at the highest allocated local register.

See also **ADV**.

■STK - → - **P.FCN**

Print the stack contents. Each level prints in a separate line starting with a label. See **ADV**.

separate line starting with a label. See \blacksquare ADV. \blacksquare TAB n $- \rightarrow \blacksquare$ TP.FCN

Position the printer head to print column *n* (0 to 165, *n*>127 can only be specified indi-

rectly). If n is less than current position, output linefeed to reach the new position. See ADV.

■WIDTH - → r P.FCN

Number of print columns alpha would take in the print mode set. See BADV and MODE. Second use: in MODE 1 or 2, WIDTH returns the width of alpha in pixels (including the last column being always blank) in the specified font.

≞α - → - **P.FCN**

Append alpha to the print line, trailed by a line feed. Compare $\triangle \alpha$ and $\triangle +\alpha$. See $\triangle ADV$.

 $\blacksquare \alpha + - \rightarrow -$ P.FCN

Send alpha to the printer without a trailing line feed, allowing further information to be appended to this line. May be repeated. See also $\triangle ADV$, $\triangle r$ and $\triangle +\alpha$.

 $\blacksquare \Sigma$ $- \rightarrow \boxed{P.FCN}$

Print the summation registers. Each register prints in one line starting with a label. See

ADV.

 \blacksquare + α - \rightarrow - P.FCN

Append alpha to the print line, adjusted to the right and trailed by a line feed. Compare $\triangle \alpha$ and $\triangle \alpha+$. See $\triangle ADV$.

■? - → - **P.FCN**

Test if the crystal and the necessary firmware are installed for printing.

Send a single byte, without translation, to the printer (e.g. a control code). *n*>127 can only be specified indirectly. Do not honor **MODE**. Compare **CHR**. See **ADV**.

n

- → r

CPX CONST

CPX n

Insert integer constant $0 \le n \le 255$ in a single step. $c = m \le 15$ works like # but also clears y. The shortcut works only for $1 \le n \le 9$.

User flags

T – tracing

A – large "=" annunciator

B - 'big'; overflow in integer modes

C - carry; used in integer operations

D – 'danger'; allow infinite or non-numeric results without error

ON combinations

ON++, ON+− increase/decrease LCD contrast.

ON+**STO**+**STO** – create a copy of the RAM in BUP, like SAVE.

ON+RCL+RCL - restore RAM from BUP, like LOAD.

ON+**C** tell the system that crystal oscillator is installed. (Keep holding **ON** and press **C** second time to confirm)

ON+**D** toggle debugging mode

ON+**S** keep holding **ON** and press **S** second time to clear GPNVM1 bit and turn calculator off. Works only in debugging mode.

WARNING: this clears the entire firmware and brings calculator in SAM-BA boot mode. You will need a SAM-BA software and communication cable to restore it to operational state.

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